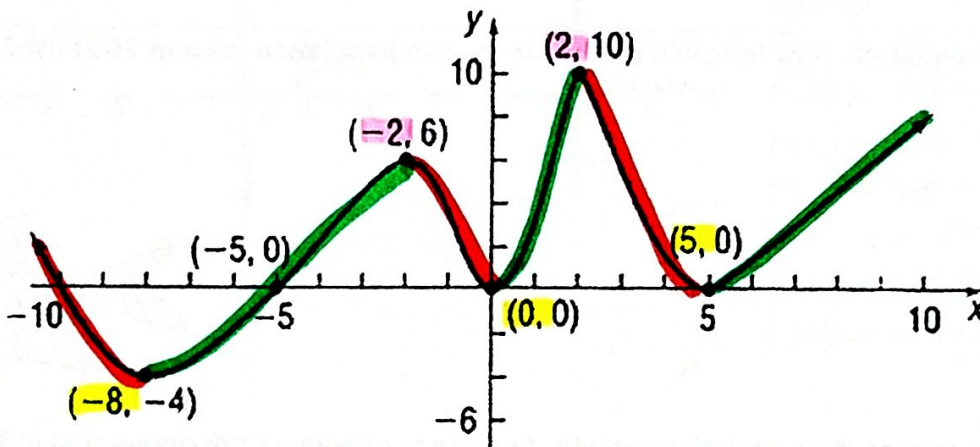


1) Use four different colors to highlight each of the following:

<ul style="list-style-type: none"> <li>intervals of <u>increase</u></li> <li>intervals of <u>decrease</u></li> </ul>	<ul style="list-style-type: none"> <li>x-coordinate of each Relative <u>minimum</u></li> <li>x-coordinate of each Relative <u>maximum</u></li> </ul>
--	--



2) Determine whether each of the following represents an interval (x-values only) of increase or decrease.

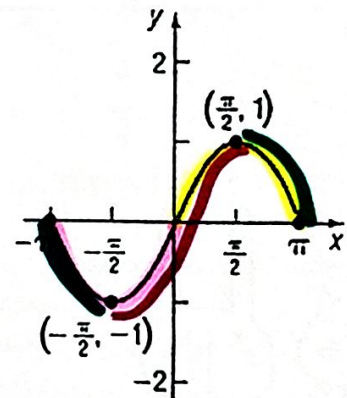
- a) (2, 5)      b) (5, ∞)      c) (-8, -2)      d) (-2, 0)

decrease      increase      increase      decrease

3) Determine the intervals of concavity for this section of the sine function.

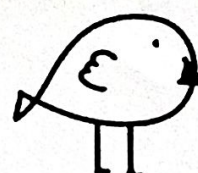
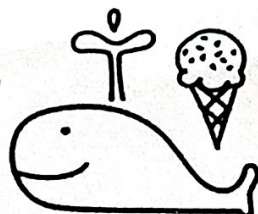
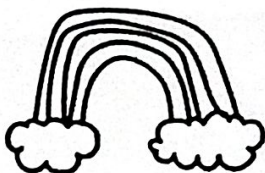
Concave Up:  $(-\pi, 0)$

Concave Down:  $(0, \pi)$



4) List the intervals of increase and decrease for the same section of the sine function above.

Interval(s) of Increase:  $(-\frac{\pi}{2}, \frac{\pi}{2})$       Interval(s) of Decrease:  $(-\pi, -\frac{\pi}{2}) \cup (\frac{\pi}{2}, \pi)$



5) During a study of an invasive study of fish, scientists approximate that the population in a lake is 300 fish in year one of the study. In year 4 of the study, the population climbed to 1200 fish.

a) Use the equation  $y = ab^x$  to model the fish population.

$$(1, 300) \rightarrow 300 = a \cdot b^1$$

$$(4, 1200) \rightarrow 1200 = a \cdot b^4$$

$$\frac{1200}{300} = \frac{a \cdot b^4}{a \cdot b^1} \quad 4 = b^3$$

$$b = 1.59$$

$$300 = a(1.59)$$

$$a = 188.7 \approx 189$$

b) What does the value of "a" represent in the equation you wrote?

$$y = 189(1.59)^x$$

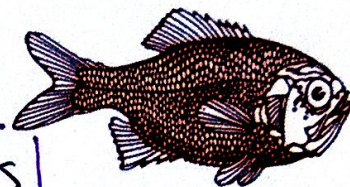
# of fish when study started

c) According to your equation, how long will it take for the fish population reaches 2000 fish?

$$\frac{2000}{189} = \frac{189(1.59)^x}{189}$$

$$\log_{1.59} 10.58 = \log_{1.59} 1.59^x$$

$$x = \log_{1.59} 10.58 \Rightarrow x = 5.1 \text{ years}$$



d) If nothing is done to stop the population growth, find the approximate fish population in 7 years.

$$x = 7$$

$$y = 189(1.59)^7$$

$$y = 4855.6$$

$$y = 4856 \text{ fish}$$